

Analysis of the possibility of double-disk lapping of rollers in the aspect of the kinematics

Analiza możliwości docierania dwutarczowego wałków w aspekcie kinematyki

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Kinematics of shafts machining was described. An eccentric and planetary implementation arrangement of double-disk lapping machines was analyzed.

KEYWORDS: cylindrical lapping process, kinematics, analysis

Technological lapping of external cylindrical surfaces can be made manually, machine-hand or machine [1, 2, 7]. In the case of machining, the machine is machined with two-disc machines and eccentric drive [3, 4, 10] in one separator (fig. 1).

It is also known to lap rollers between rotating rollers [6], e.g. on CLM 150-500 from Stähli. In this case, it is possible to process single unpaired rollers or several shorter ones of the same diameter [9]. Due to the widespread use

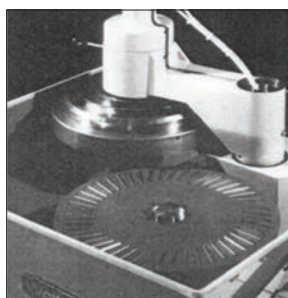


Fig. 1. Peter Wolters AL00-1-Z two-disc lapping machine (445 mm diameter, top/bottom blade speed of 100/60 min^{-1}) [8] and its circuit diagram

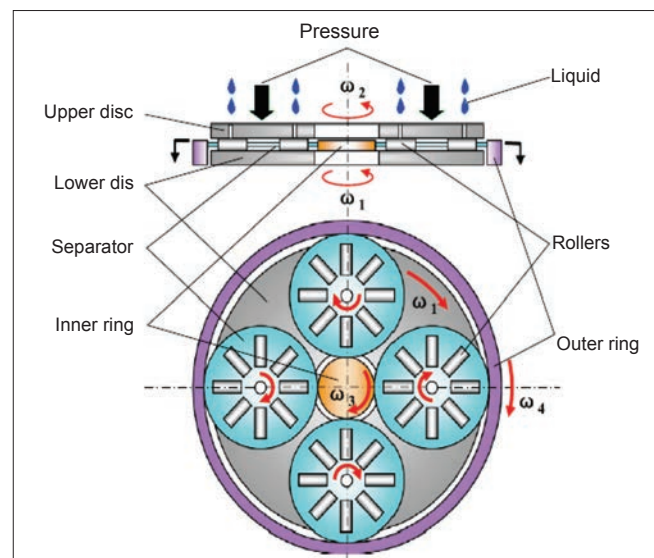
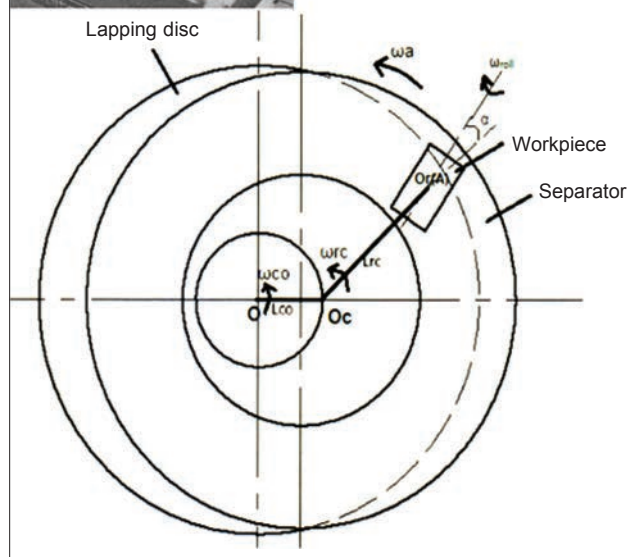


Fig. 2. Diagram of the planetary actuator system in the lapping of the shafts (angular velocity: ω_1 – lower disc, ω_2 – upper disc, ω_3 – internal ring, pinion or toothed drive); ω_4 – outer ring, usually $\omega_4 = 0$)

of disc milling machines for machining flat-parallel elements with the planetary system, the question of their applicability in the machining of the unmolded rollers (fig. 2) [5, 10, 11].

The purpose of this analysis was to compare the variability of the basic kinematic parameters of these systems.

Analysis of the eccentric system

In this kinematic arrangement of lapping rollers with radius r (fig. 1), when considering the point (A) located halfway in the object, the angular velocity of the ω_a arriving disc and the separator ω_{rc} with respect to its center O and the angular velocity ω_{co} with respect to the center. In addition, the angle of inclination of the object axis in the separator socket α , the angular velocity of the lapping shaft ω_{roll} , the distance L_{co} of the center of the separator O_c from the center of the disc O and the distance L_{rc} of the point A (A) from the center of the separator O_c . The point O_r lying on the axis of the shaft N is away from the center of the disk reaching the value L_{ro} . The temporal position of the respective velocity vectors in relative lapping motion is shown in fig. 3.

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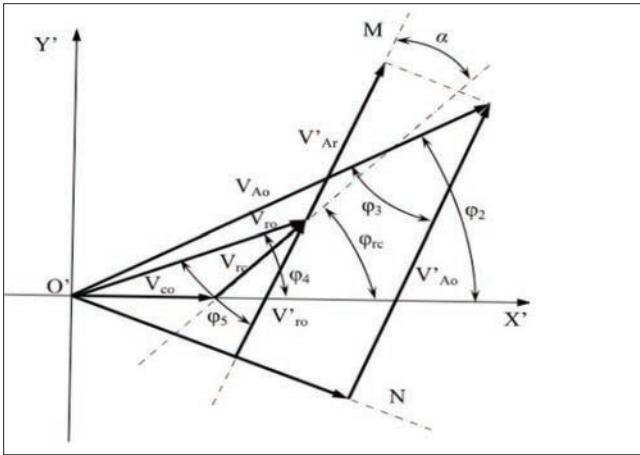


Fig. 3. Speed vectors in eccentric configuration: M – direction of rolling motion of the shaft (perpendicular to its central axis N), V_{Ao} – point velocity vector located on the lower disc reaching the center O' ; v_{co} – vector of separator center velocity O_c relative to point O' ; v_{rc} – center velocity vector of shaft O_r (A) relative to center O_c ; v_{ro} – vector of velocity O_r (point A) relative to O' ; V_{Ar} – the velocity vector of the center of the shaft forming relative to the point O_r located on the axis N of the penetrating shaft (V'_{Ar} , V'_{Ao} and V'_{ro} – respectively projections of the vectors on the axis M)

Since the lapping speed (slip of the shaft) is determined by the formula:

$$|V'_{Ar}| = |V_{Ao}| \cos \varphi_3 - |V_{ro}| \cos \varphi_5$$

In addition, (t is the time):

$$\begin{aligned} \varphi_{co} &= \omega_{co}t, \varphi_{rc} = \omega_{rc}t, \varphi_1 = 180 - \omega_{co}t \\ L_{ro} &= [(L_{co})^2 + (L_{rc})^2 + 2L_{co}L_{rc}\cos(\omega_{rc}t)]^{1/2} \\ |V_{Ao}| &= \omega_a L_{ro} \\ |V_{ro}| &= [(\omega_{co}L_{co})^2 + (\omega_{rc}L_{rc})^2 + 2\omega_{co}L_{co}\omega_{rc}L_{rc}\cos(\omega_{rc}t)]^{1/2} \\ \varphi_2 &= \arcsin[L_{rc}\sin(\omega_{rc}t)/L_{ro}] \\ \varphi_3 &= \alpha + \varphi_{rc} - \varphi_2 \\ \varphi_4 &= \arctan[|V_{rc}|\sin\varphi_{rc}/(|V_{co}| + |V_{rc}|\cos\varphi_{rc})] \\ \varphi_5 &= \varphi_{rc} + \alpha - \varphi_4 \end{aligned}$$

therefore:

$$\omega_{roll} = V'_{Ar}/r$$

Fig. 4 and fig. 5 illustrate the results of calculations of the lapping speed on the AL 00-1-Z lathe machine with a diameter of 20 mm and a length of 60 mm.

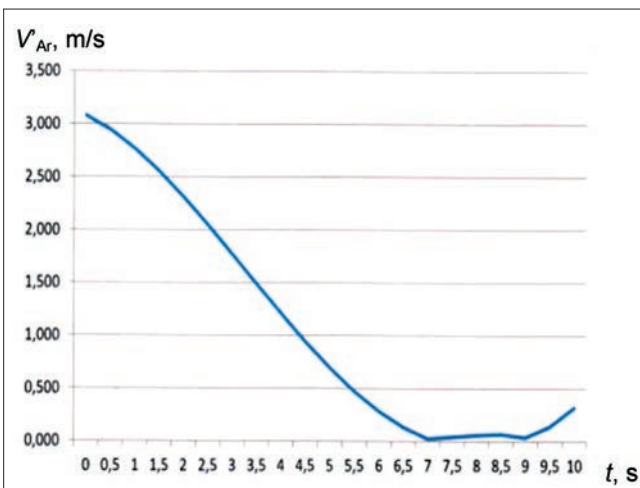


Fig. 4. The relation of velocity V'_{Ar} as a function of time t ($L_{co} = 156$ mm, $L_{ro} = 160$ mm, $\alpha = 0.349$ rad, $\omega_a = 10.5$ rad/s, $\omega_{rc} = 0.350$ rad/s, $\omega_{co} = 0.339$ rad/s)

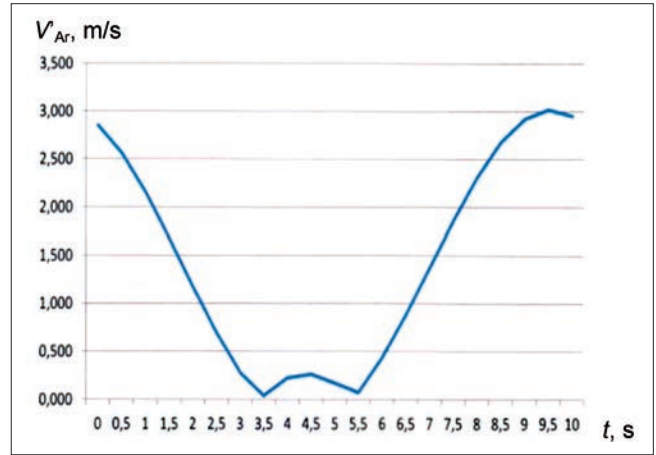


Fig. 5. The relation of velocity V'_{Ar} in time function t ($L_{co} = 156$ mm, $L_{ro} = 140$ mm, $\alpha = 0.349$ rad, $\omega_a = 10.5$ rad/s, $\omega_{rc} = 0.628$ rad/s, $\omega_{co} = 0.339$ rad/s)

Analysis of the planetary system

In the case of the planetary system (fig. 6 and fig. 7), the pattern of forces and velocities is given in fig. 8. To find the position of the „pure” rolling motion, the velocity vectors (fig. 8a) the spindle to the coordinate system associated with the center of the lapped shaft (fig. 8b)



Fig. 6. Executive elements of the planetary system and the view of the Microline AC700 lathe by Peter Walters [8]

